

## Diploma Macro Paper 2

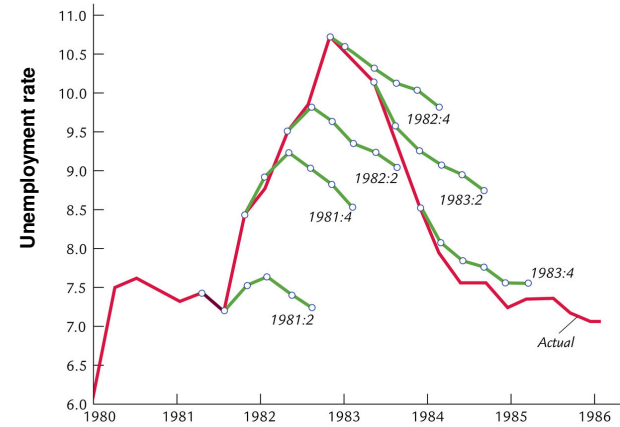
### Monetary Macroeconomics Lecture 7

Policy effectiveness and inflation targeting

Mark Hayes

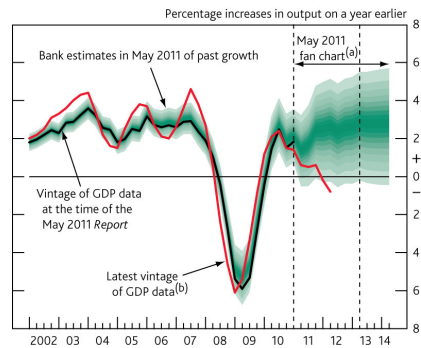
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## Mistakes forecasting the 1982 US recession



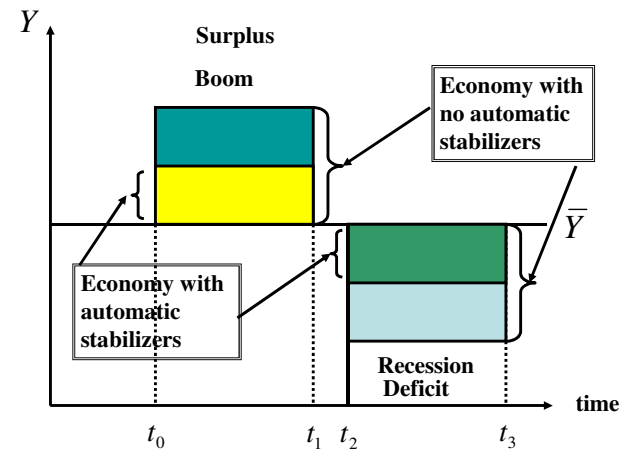
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Chart C GDP outturns and projection in the May 2011 Inflation Report

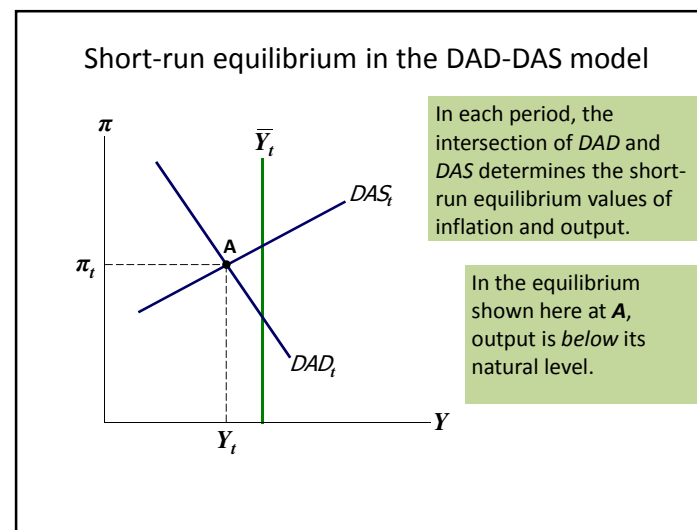
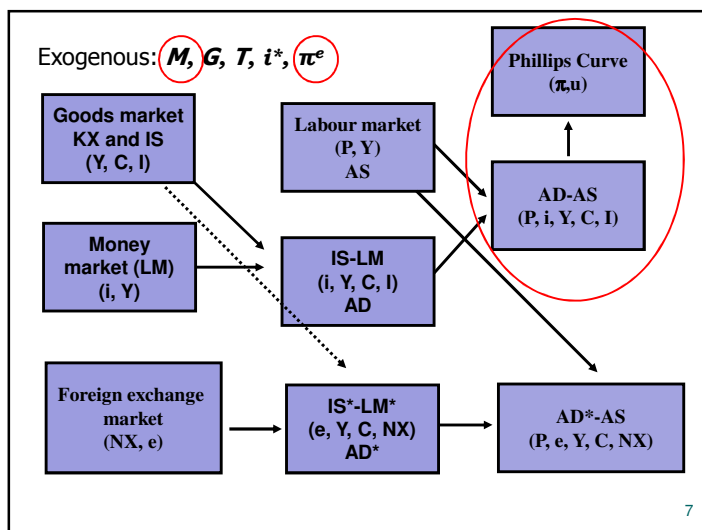
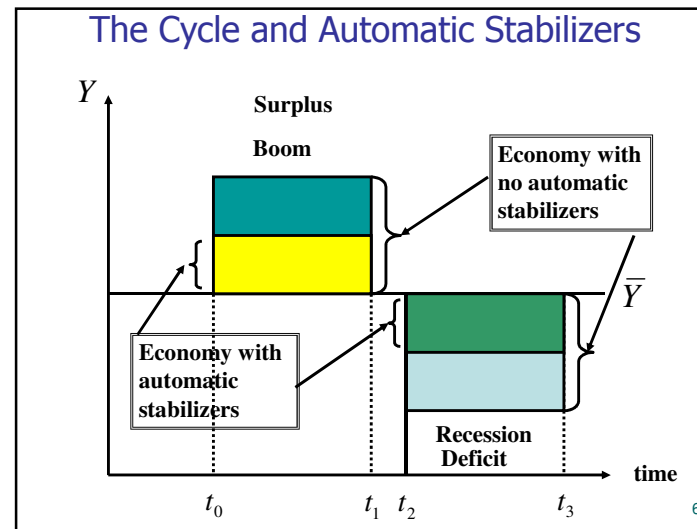
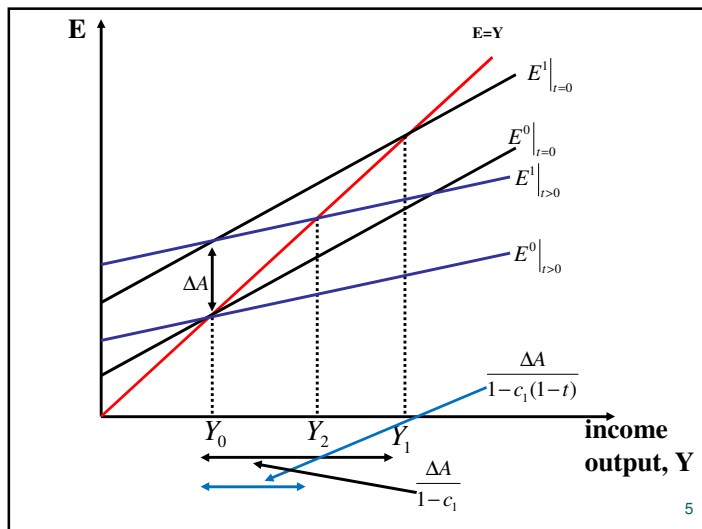


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## The Cycle and Automatic Stabilizers



4



### The *DAD-DAS* Equations

$$Y_t = \bar{Y}_t - \alpha \cdot (r_t - \rho) + \varepsilon_t \quad \text{Demand Equation}$$

$$r_t = i_t - E_t \pi_{t+1} \quad \text{Fisher Equation}$$

$$\pi_t = E_{t-1} \pi_t + \phi \cdot (Y_t - \bar{Y}_t) + v_t \quad \text{Phillips Curve}$$

$$E_t \pi_{t+1} = \pi_t \quad \text{Adaptive Expectations}$$

$$i_t = \pi_t + \rho + \theta_\pi \cdot (\pi_t - \pi_t^*) + \theta_Y \cdot (Y_t - \bar{Y}_t) \quad \text{Monetary Policy Rule}$$

### The model's variables and parameters

- Endogenous variables:

$Y_t$  = Output

$\pi_t$  = Inflation

$r_t$  = Real interest rate

$i_t$  = Nominal interest rate

$E_t \pi_{t+1}$  = Expected inflation

### The model's variables and parameters

- Exogenous variables:

$\bar{Y}_t$  = Natural level of output

$\pi_t^*$  = Central bank's target inflation rate

$\varepsilon_t$  = Demand shock

$v_t$  = Supply shock

- Predetermined variable:

$\pi_{t-1}$  = Previous period's inflation

### The model's variables and parameters

- Parameters:

$\alpha$  = Responsiveness of demand to the real interest rate

$\rho$  = Natural rate of interest

$\phi$  = Responsiveness of inflation to output in the Phillips Curve

$\theta_\pi$  = Responsiveness of  $i$  to inflation in the monetary-policy rule

$\theta_Y$  = Responsiveness of  $i$  to output in the monetary-policy rule

Output:  
The Demand for Goods and Services

$$Y_t = \bar{Y}_t - \alpha(r_t - \rho) + \varepsilon_t$$

$\alpha > 0, \rho > 0$

*output* (points to  $Y_t$ )  
*natural level of output* (points to  $\bar{Y}_t$ )  
*real interest rate* (points to  $r_t$ )

*Assumption:* There is a negative relation between output ( $Y_t$ ) and interest rate ( $r_t$ ). The justification is the same as for the IS curve of Ch. 10.

Output:  
The Demand for Goods and Services

$$Y_t = \bar{Y}_t - \alpha(r_t - \rho) + \varepsilon_t$$

*measures the interest-rate sensitivity of demand* (points to  $\alpha$ )  
*"natural rate of interest"* (points to  $\rho$ )  
This is the long-run real interest rate we had calculated in Ch. 3  
*demand shock, random and zero on average* (points to  $\varepsilon_t$ )

*The demand shock is positive when  $C_t, I_t,$  or  $G$  is higher than usual or  $T$  is lower than usual.*

Note that *in the absence of demand shocks,*  
 $Y_t = \bar{Y}_t$  when  $r_t = \rho$

The Real Interest Rate: The Fisher Equation

$$r_t = i_t - E_t \pi_{t+1}$$

*ex ante (i.e. expected) real interest rate* (points to  $r_t$ )  
*nominal interest rate* (points to  $i_t$ )  
*expected inflation rate* (points to  $E_t \pi_{t+1}$ )

*Assumption:* The real interest rate is the inflation-adjusted interest rate. To adjust the nominal interest rate for inflation, one must simply subtract the expected inflation rate during the duration of the loan.

The Real Interest Rate: The Fisher Equation

$$r_t = i_t - E_t \pi_{t+1}$$

*ex ante (i.e. expected) real interest rate* (points to  $r_t$ )  
*nominal interest rate* (points to  $i_t$ )  
*expected inflation rate* (points to  $E_t \pi_{t+1}$ )

$\pi_{t+1}$  = increase in price level from period  $t$  to  $t+1$ , not known in period  $t$   
 $E_t \pi_{t+1}$  = expectation, formed in period  $t$ , of inflation from  $t$  to  $t+1$

We saw this before in Ch. 4

### Inflation: The Phillips Curve

$$\pi_t = E_{t-1} \pi_t + \phi(Y_t - \bar{Y}_t) + v_t$$

current  
inflation

previously  
expected  
inflation

supply  
shock,  
random and  
zero on  
average

$\phi > 0$  indicates how much inflation responds when output fluctuates around its natural level

### Expected Inflation: Adaptive Expectations

$$E_t \pi_{t+1} = \pi_t$$

Assumption: people expect prices to continue rising at the current inflation rate.

Examples:  $E_{2000} \pi_{2001} = \pi_{2000}$ ;  $E_{2010} \pi_{2011} = \pi_{2010}$ ; etc.

### Monetary Policy Rule

$$i_t = \pi_t + \rho + \theta_\pi \cdot (\pi_t - \pi_t^*) + \theta_Y \cdot (Y_t - \bar{Y}_t)$$

Current  
inflation  
rate

Parameter that  
measures how  
strongly the  
central bank  
responds to the  
inflation gap

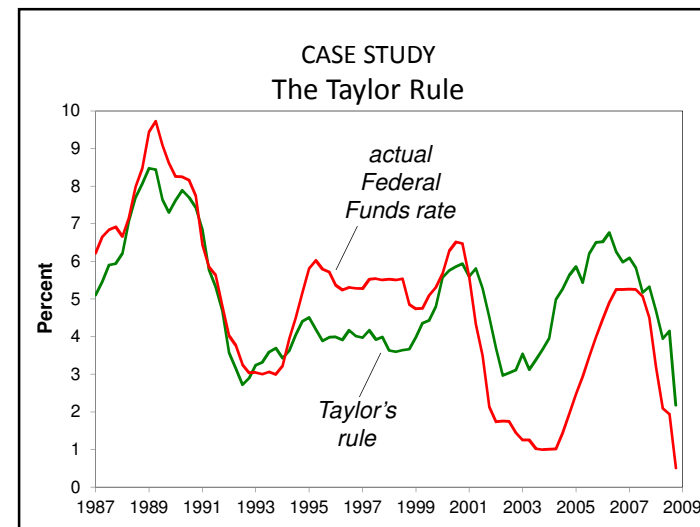
Parameter that  
measures how  
strongly the  
central bank  
responds to  
the GDP gap

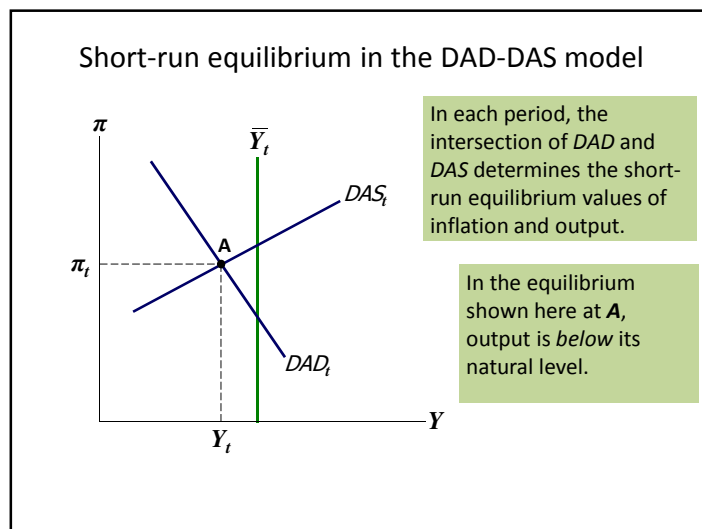
Nominal  
interest  
rate, set  
each period  
by the  
central bank

Natural real  
interest rate

Inflation Gap: The  
excess of current  
inflation over the  
central bank's  
inflation target

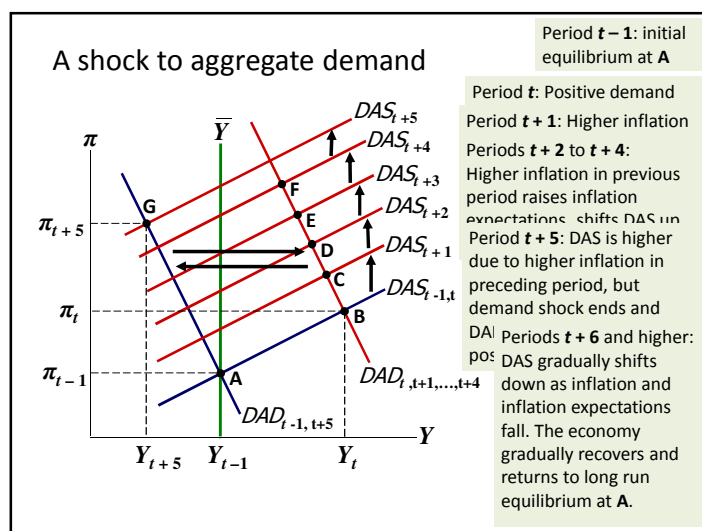
GDP Gap: The  
excess of current  
GDP over natural  
GDP





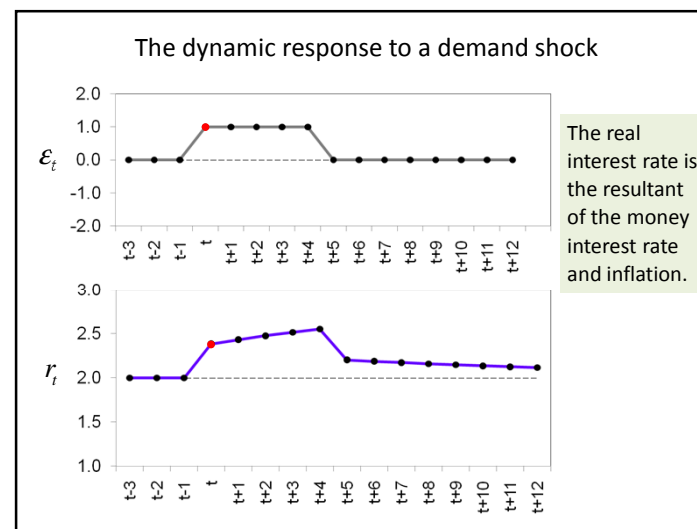
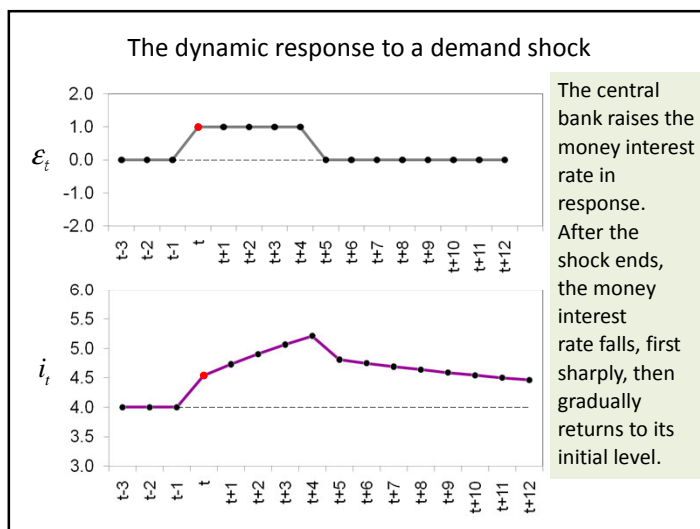
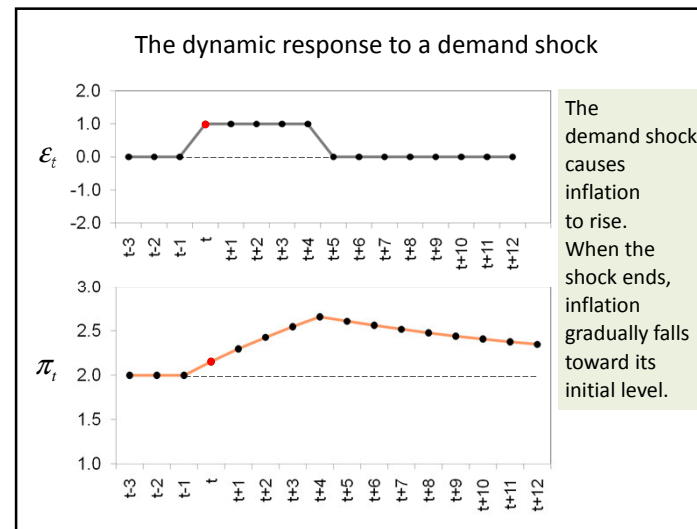
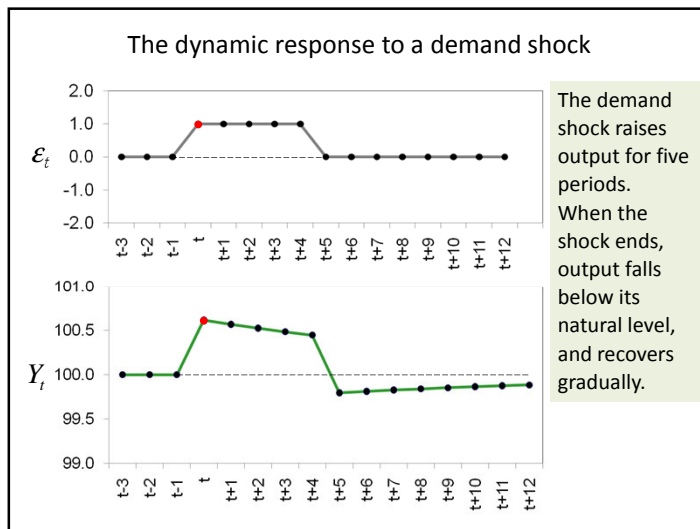
### A Series of Aggregate Demand Shocks

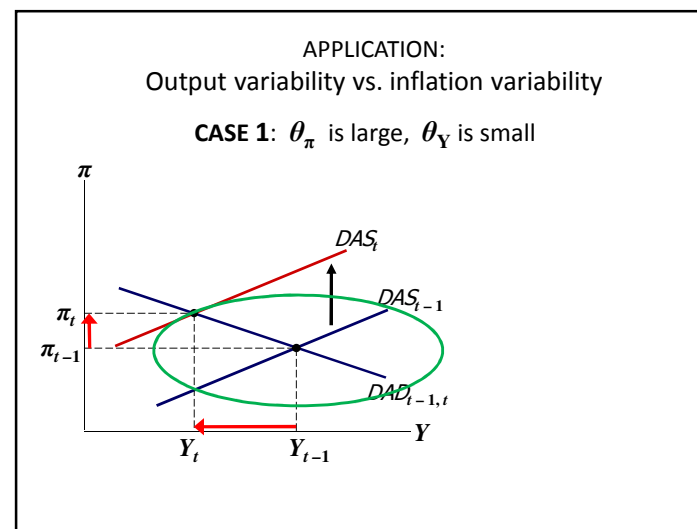
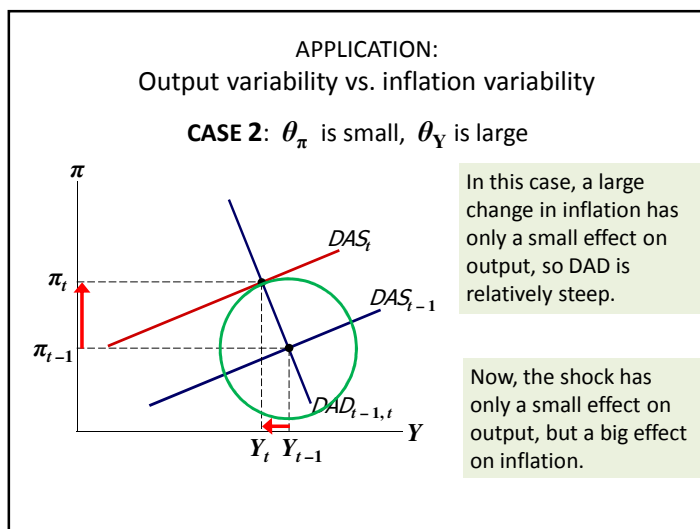
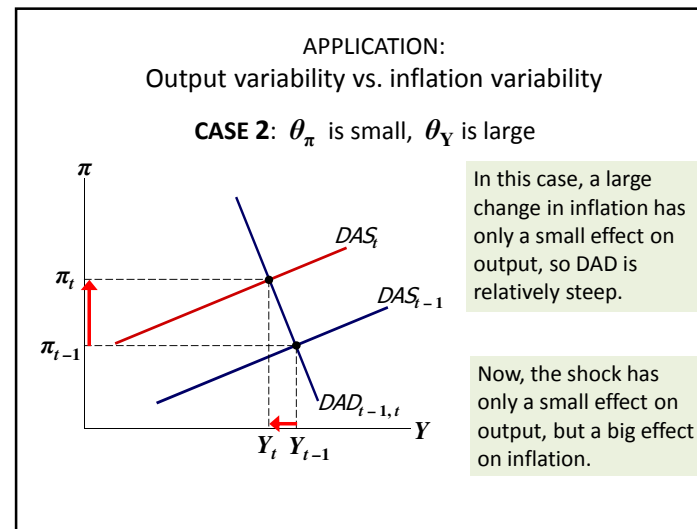
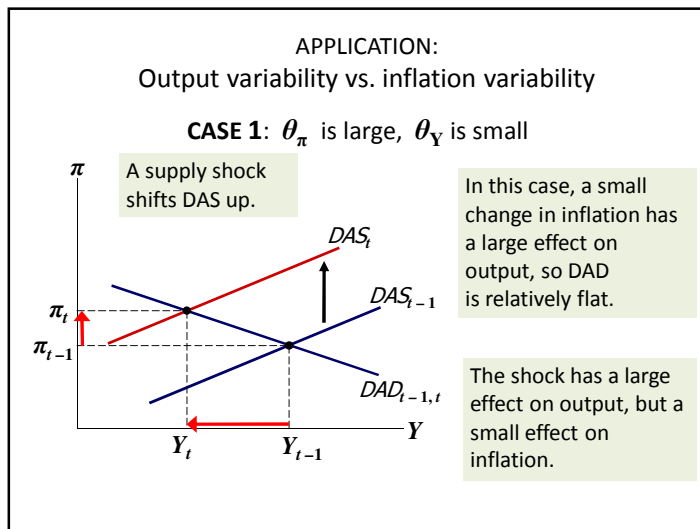
- Suppose the economy is at the long-run equilibrium
- Then a positive aggregate demand shock ( $\epsilon > 0$ ) hits the economy for five successive periods, and then stops ( $\epsilon = 0$ )
- How will the economy be affected in the short run?
- How will the economy adjust over time?



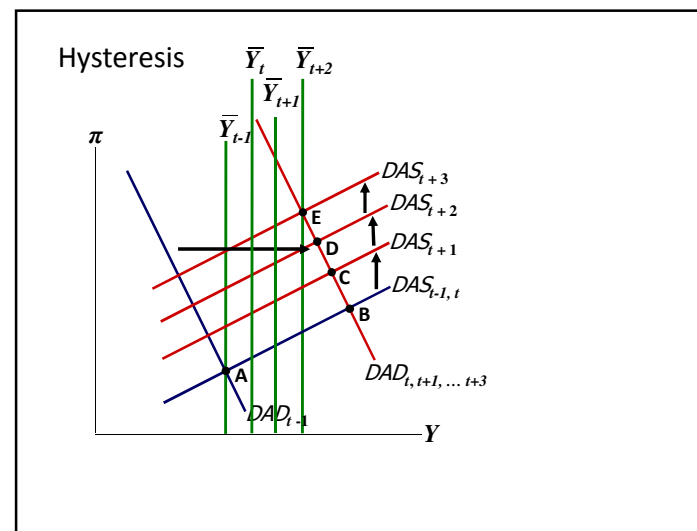
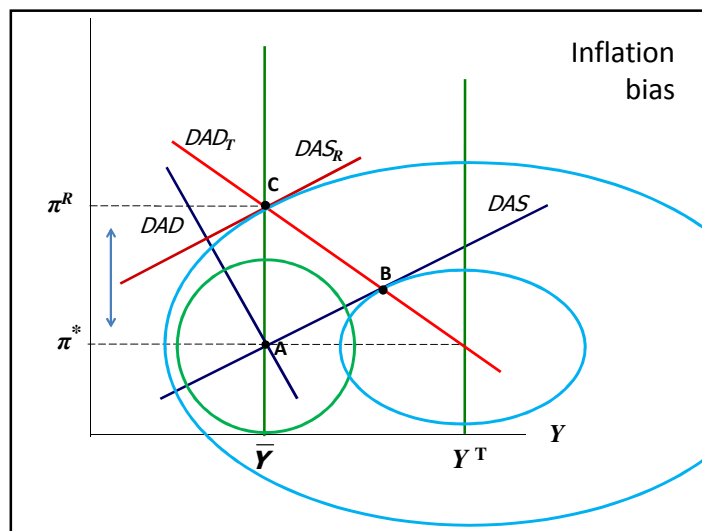
### Parameter values for simulations

$\bar{Y}_t = 100$	Thus, we can interpret $Y_t - \bar{Y}_t$ as the percentage deviation of output from its natural level.
$\pi_t^* = 2.0$	The central bank's inflation target is 2 percent.
$\alpha = 1.0$	A 1-percentage-point increase in the real interest rate reduces output demand by 1 percent of its natural level.
$\rho = 2.0$	The natural rate of interest is 2 percent.
$\phi = 0.25$	When output is 1 percent above its natural level, inflation rises by 0.25 percentage point.
$\theta_\pi = 0.5$	These values are from the Taylor Rule, which approximates the actual behavior of the Federal Reserve.
$\theta_Y = 0.5$	









**Next time**

- Origins of the North Atlantic and Euro crises